

## Calculation of the Sedimentation Coefficient:

$$\frac{M (1 - \bar{v} \rho)}{N f} = \frac{v}{\omega^2 r} = s$$

$$v = \frac{dr}{dt}$$

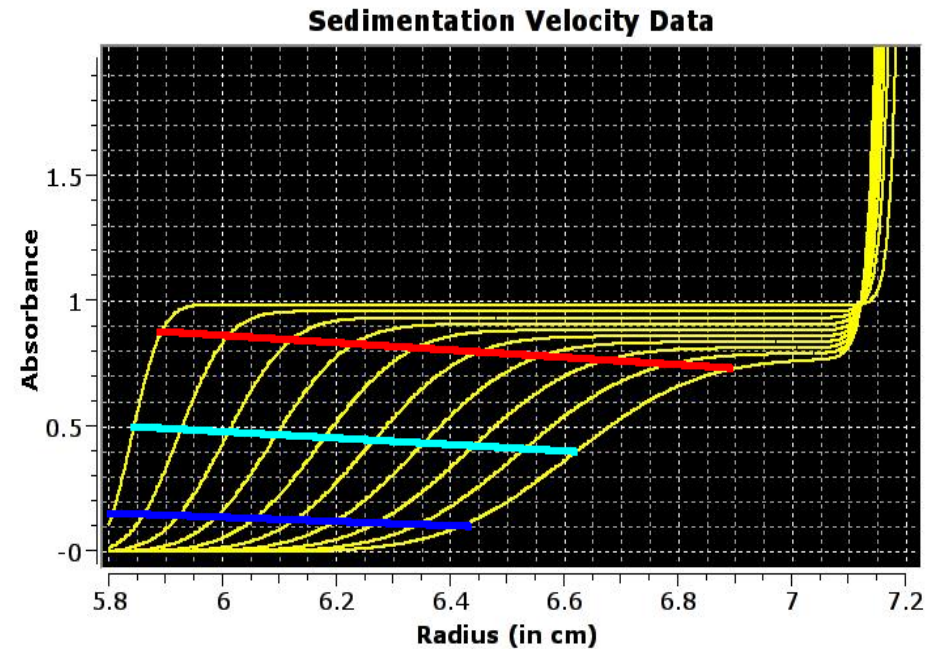
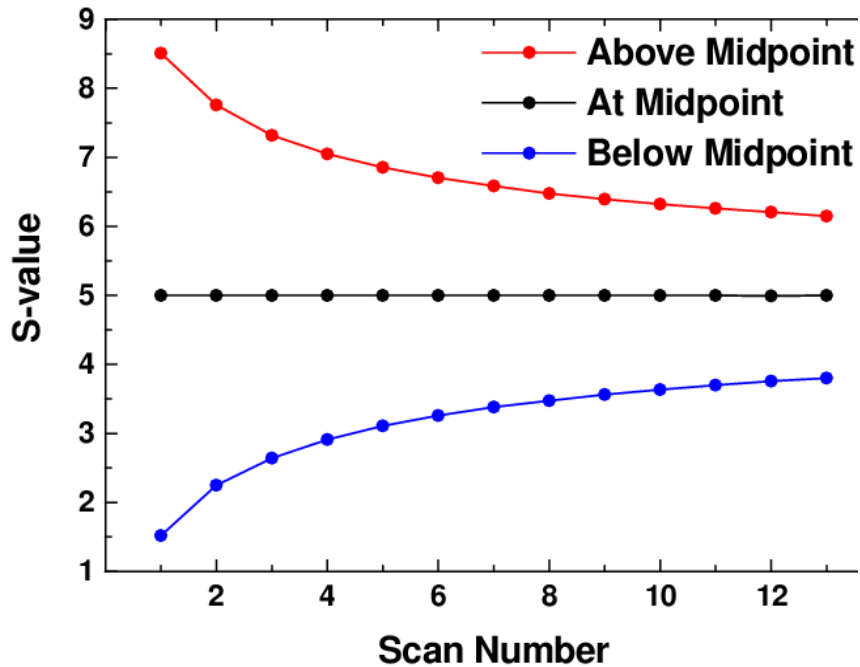
$$\frac{dr}{r} = \omega^2 s dt$$

$$\int_{r=m}^{r=b} \frac{1}{r} dr = \int_{t=0}^{t=scan} s \omega^2 dt$$

$$\ln r_b(t) - \ln r_m(t_0) = s \omega^2 (t - t_0)$$

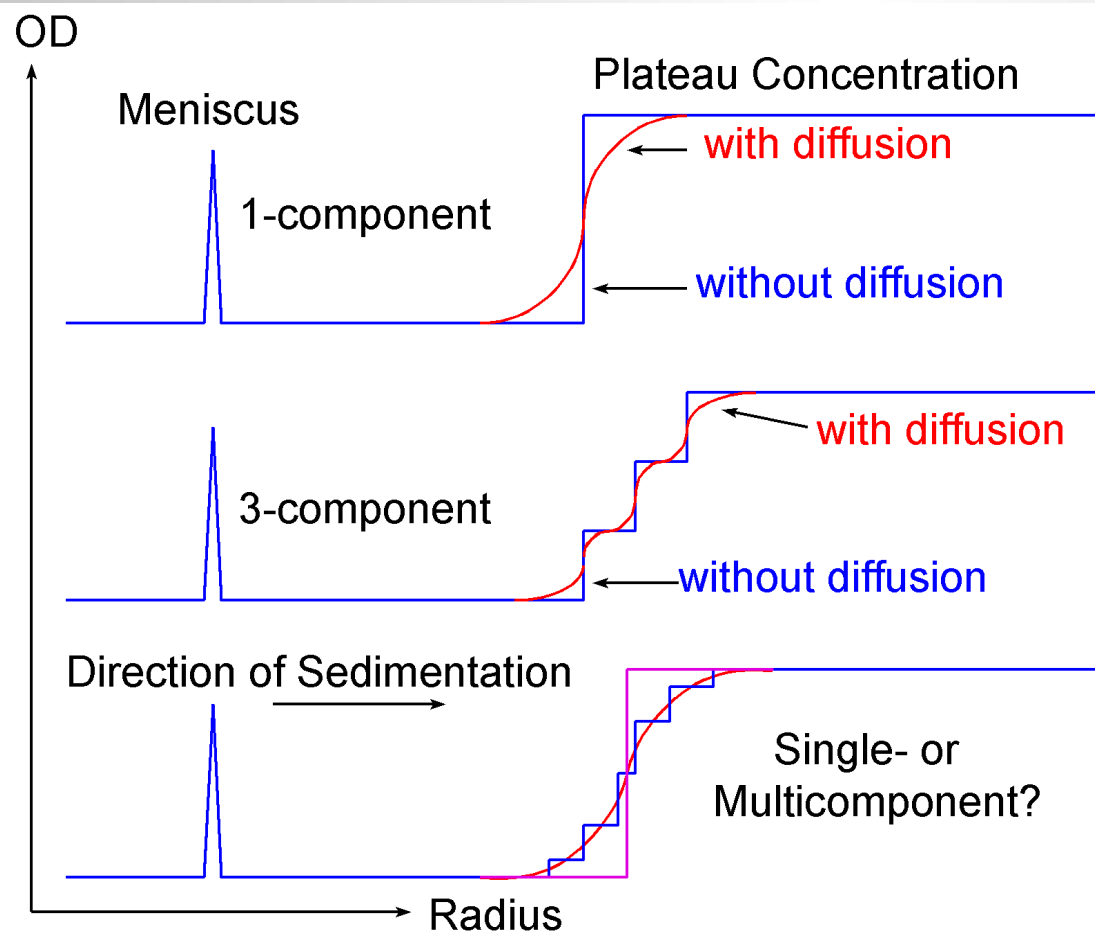
$$\hat{s}_b = \ln \left( \frac{r_b(t)}{r_m(t_0)} \right) \left( \omega^2 (t - t_0) \right)^{-1}$$

## Calculation of the Sedimentation Coefficient:



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# What about Diffusion and Heterogeneity?



## ***Enhanced van Holde – Weischet Method:***

### **Description of the Problem:**

**How do we distinguish between transport due to diffusion and transport due to sedimentation?**

**How do we distinguish boundary spreading due to heterogeneity from boundary spreading due to diffusion?**

**For unknown samples, can we analyze the sample in a model-independent way?**

## **Enhanced van Holde – Weischet Method:**

**...is a graphical transformation of the velocity data:**

**transport due to Diffusion  $\sim \sqrt{t}$**

**transport due to sedimentation  $\sim t$**

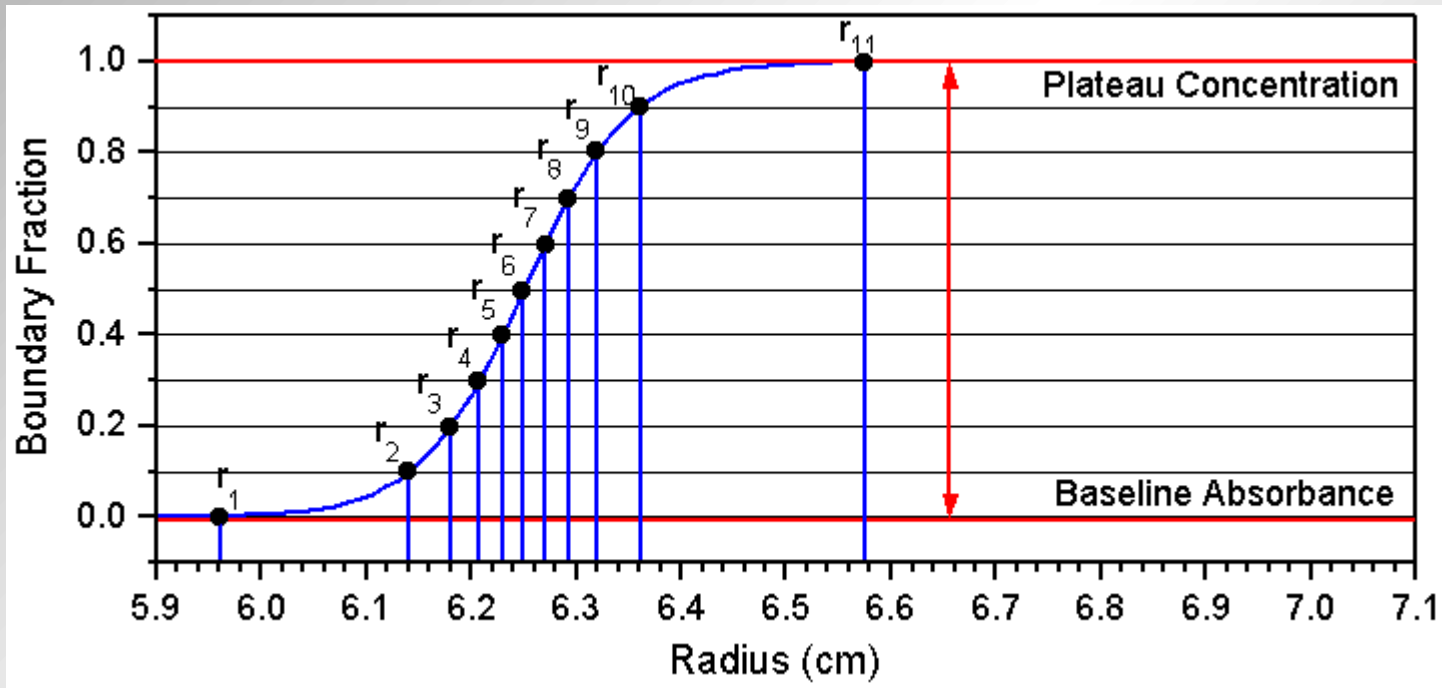
**At infinity transport due to diffusion will be negligible compared to transport due to sedimentation - i.e., all components will separate out if the rotorspeed is fast enough.**

**...yields diffusion corrected sedimentation coefficient distributions**

*van Holde, K. E. and W. O. Weischet. (1978). Boundary Analysis of Sedimentation Velocity Experiments with Monodisperse and Paucidisperse Solutes. Biopolymers, 17:1387-1403*

*Demeler, B. and K. E. van Holde. Sedimentation velocity analysis of highly heterogeneous systems. (2004). Anal. Biochem. Vol 335(2):279-288*

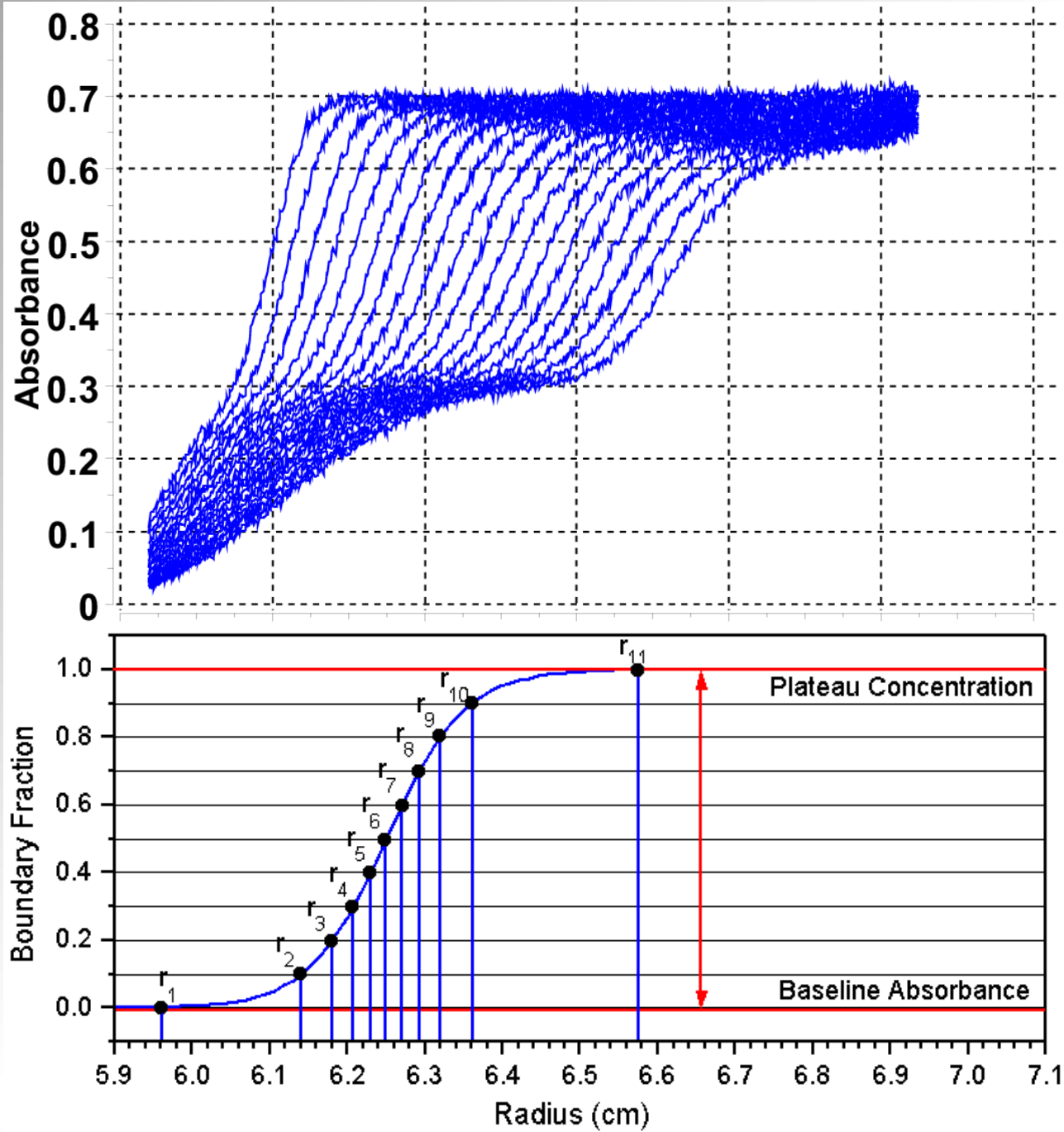
## Calculation of apparent Sedimentation Coefficients:



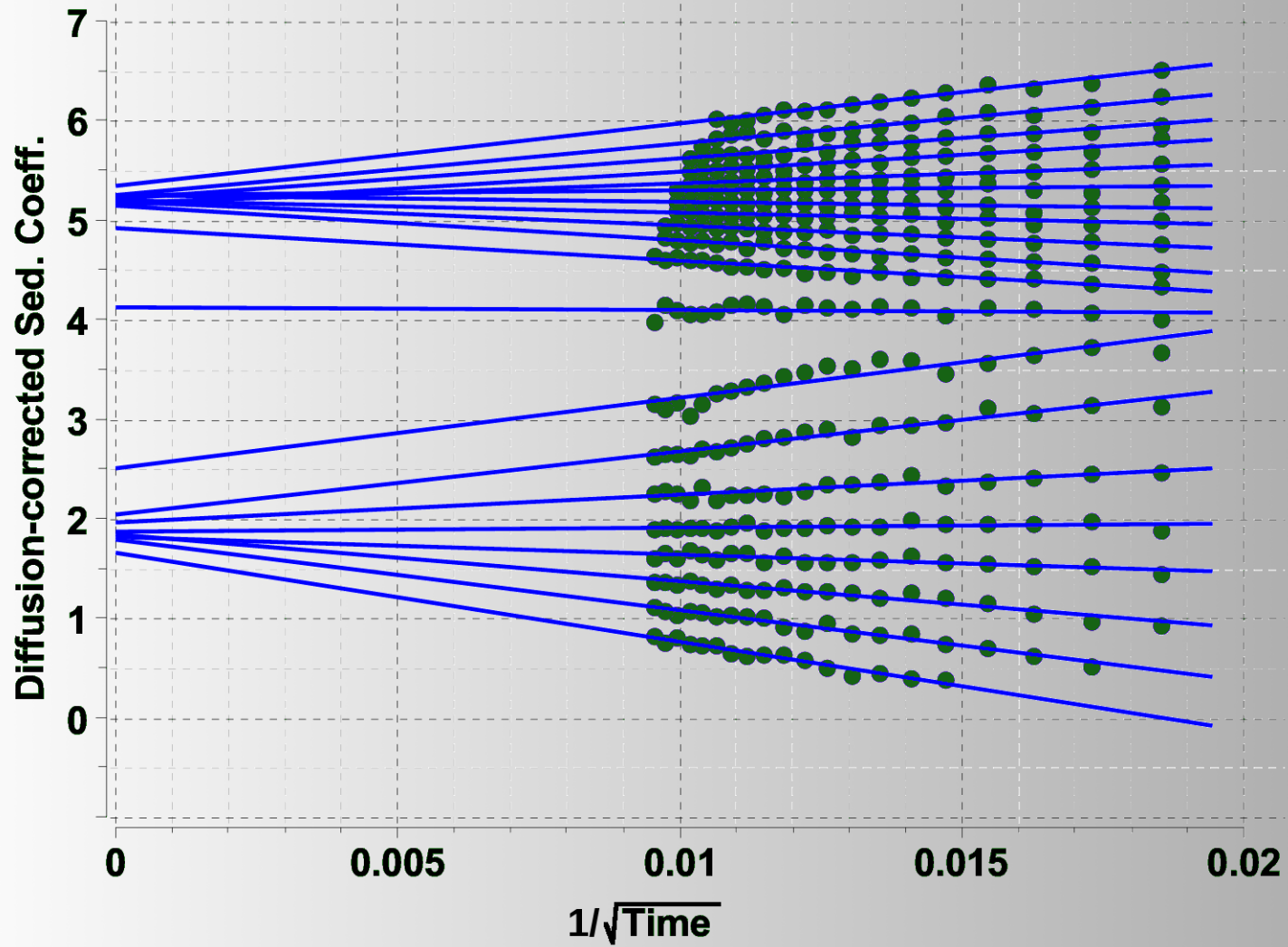
$$\frac{v}{\omega^2 r} = s$$

$$\frac{dr}{r} = \omega^2 s dt$$

$$\hat{s}_b = \ln \left( \frac{r_b(t)}{r_a(t_0)} \right) [\omega^2 (t - t_0)]^{-1}$$

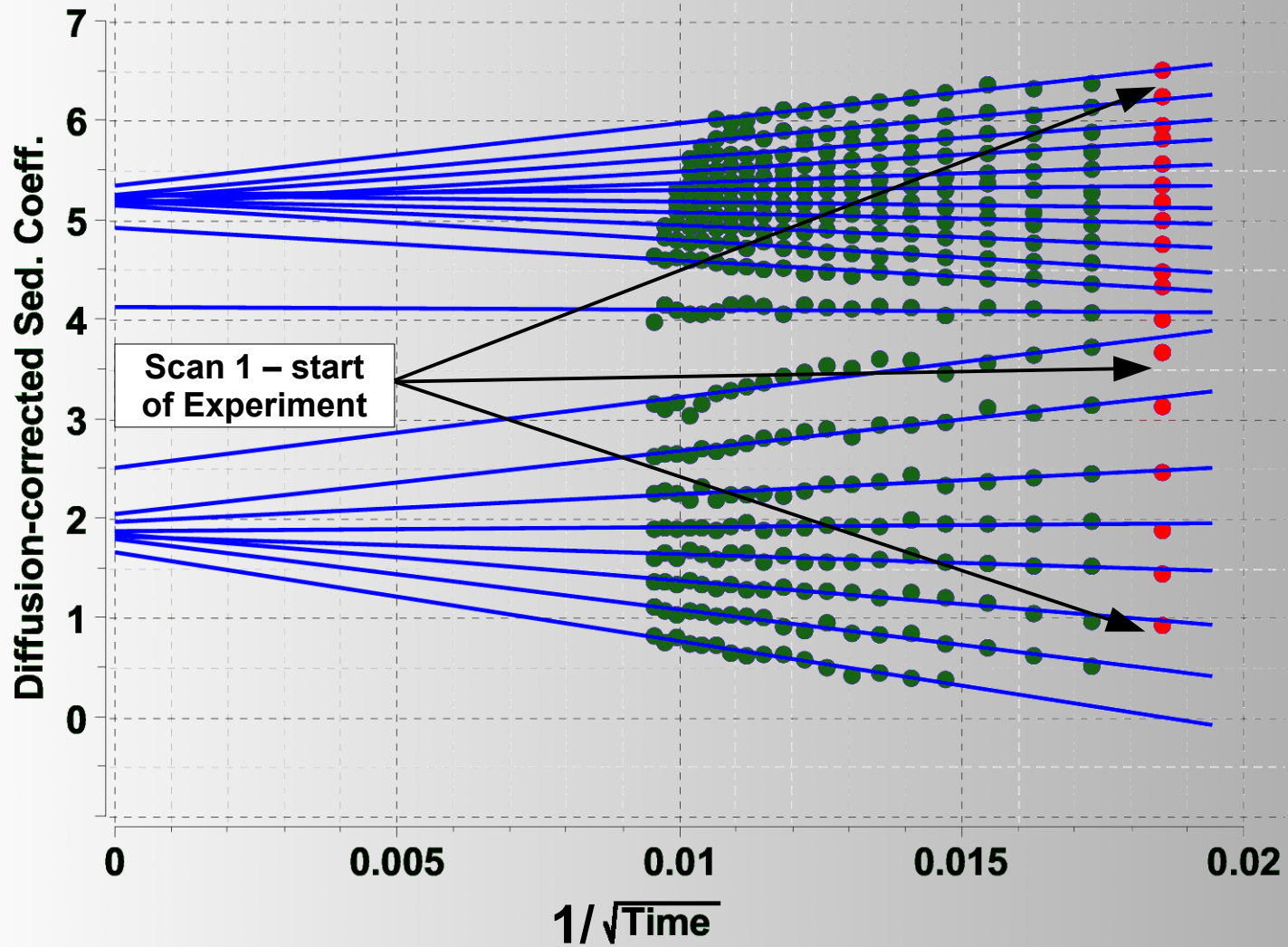


*van Holde – Weischet Extrapolation Plot:*

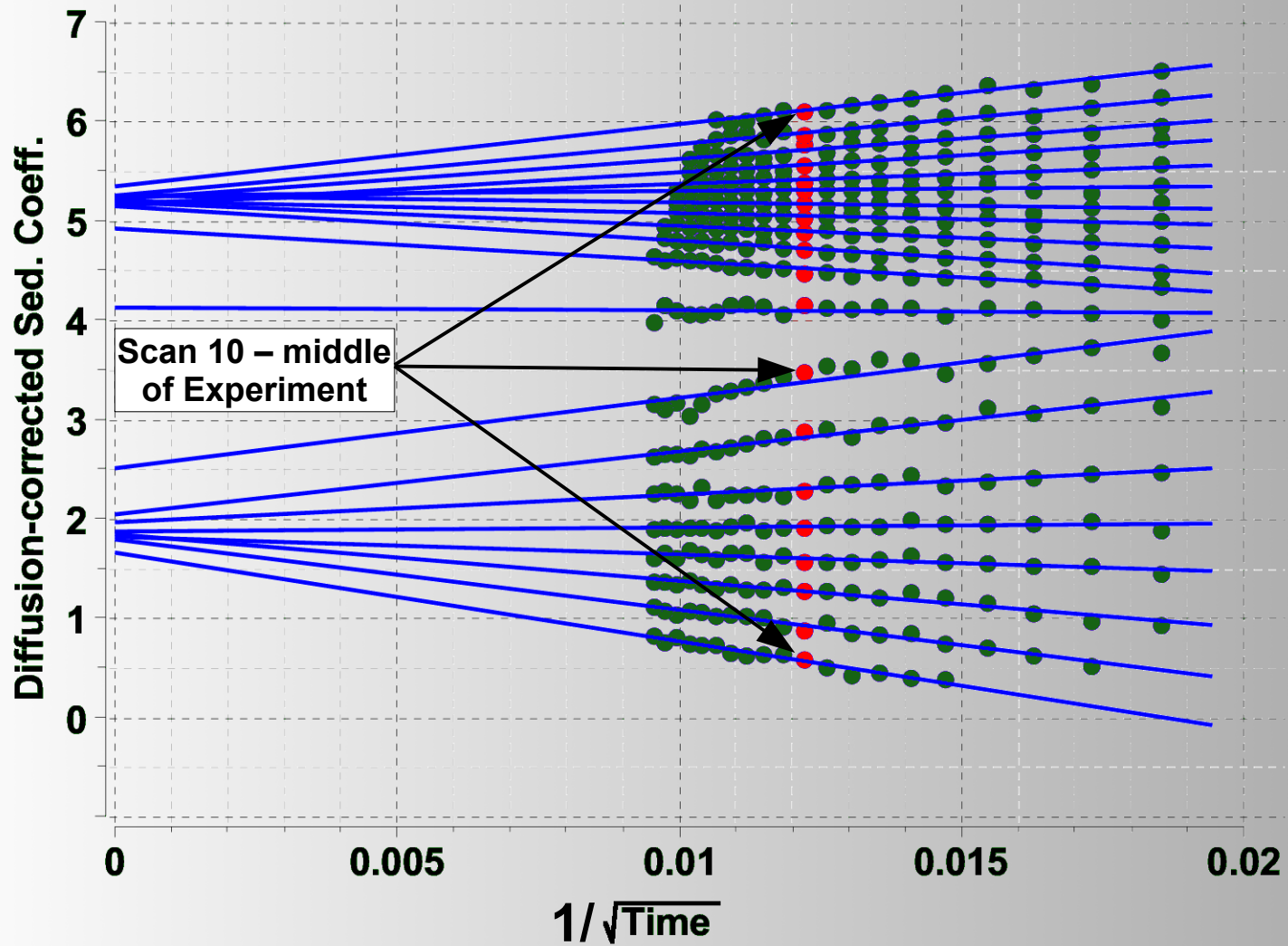




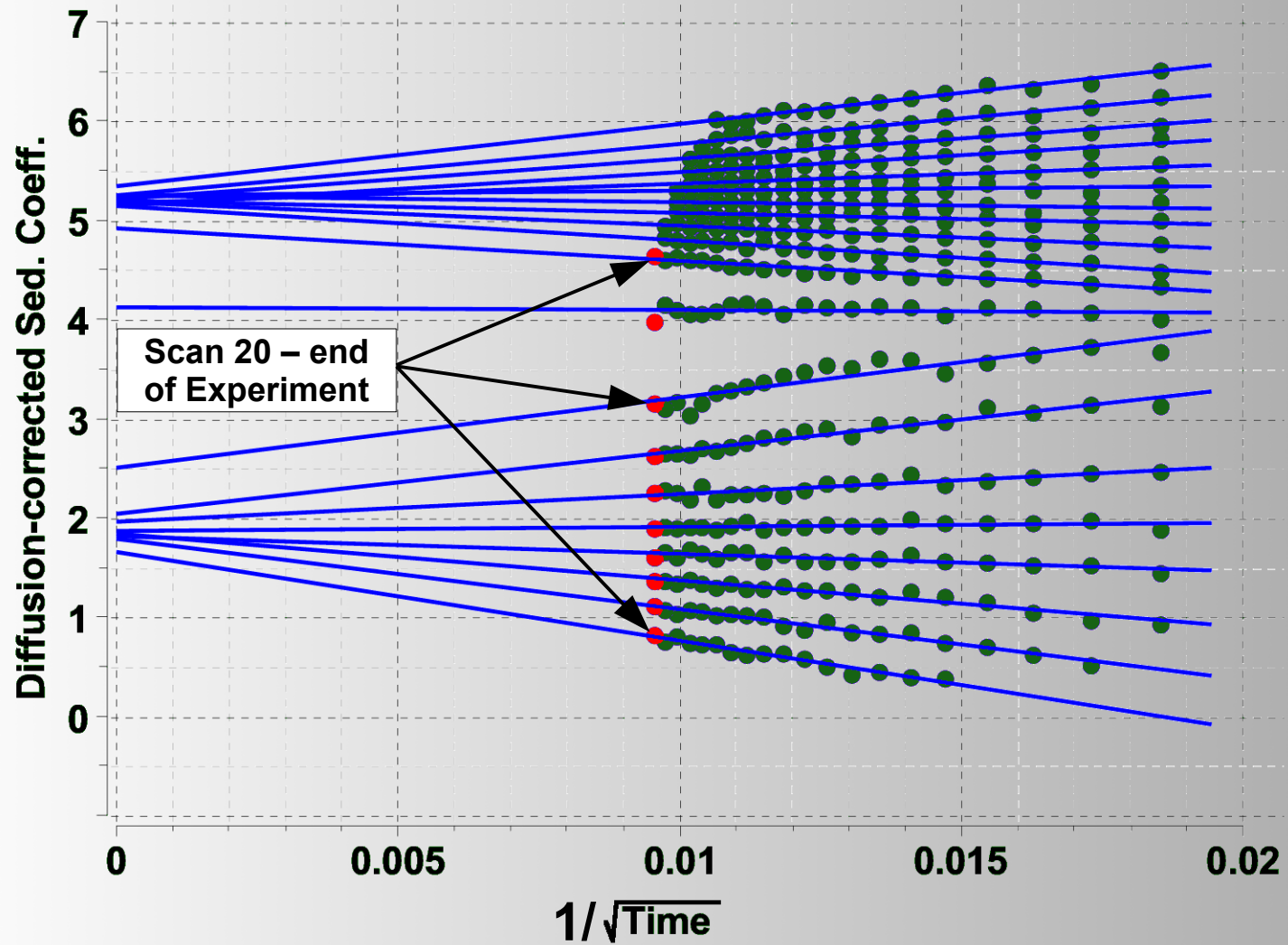
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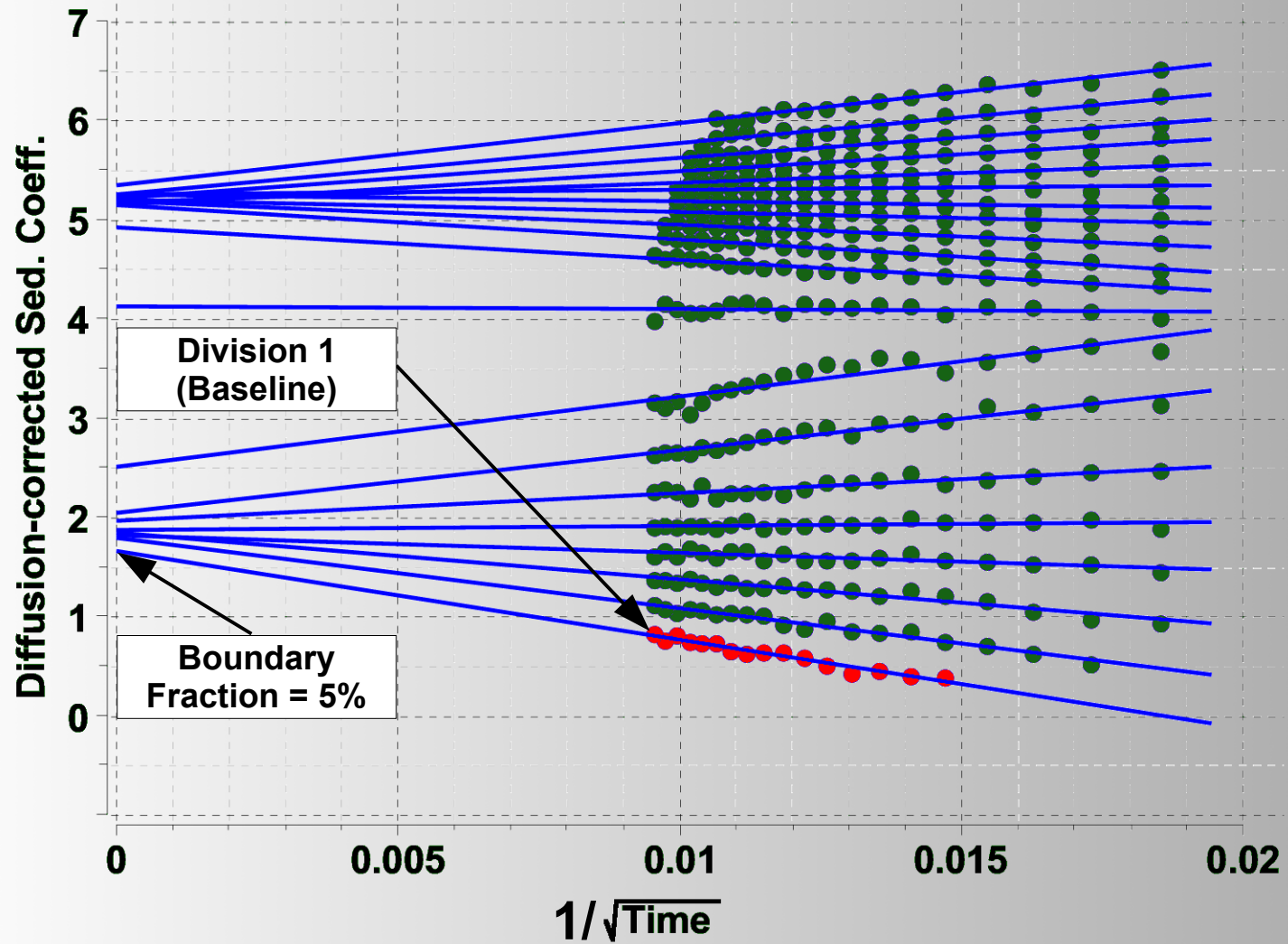
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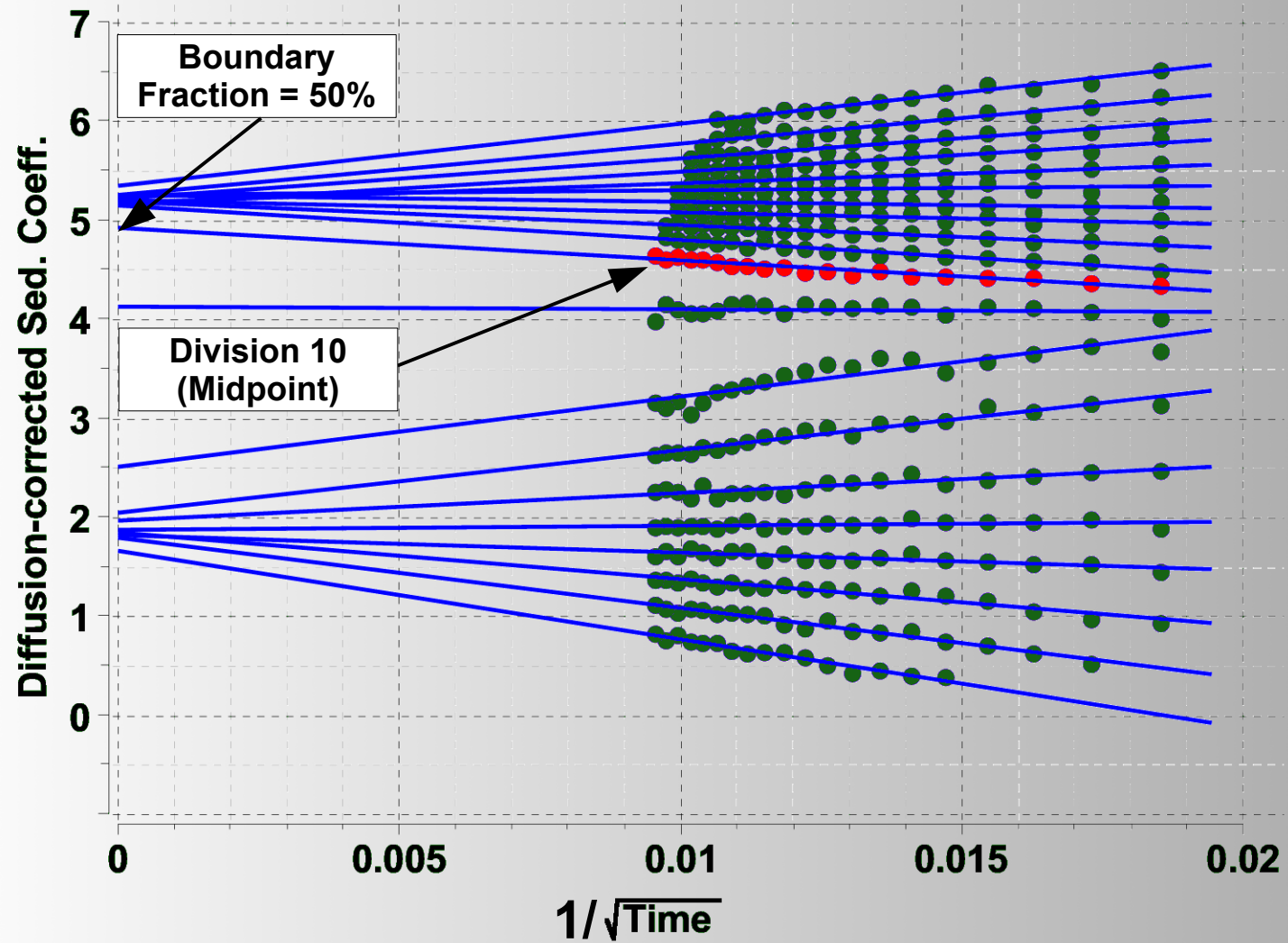
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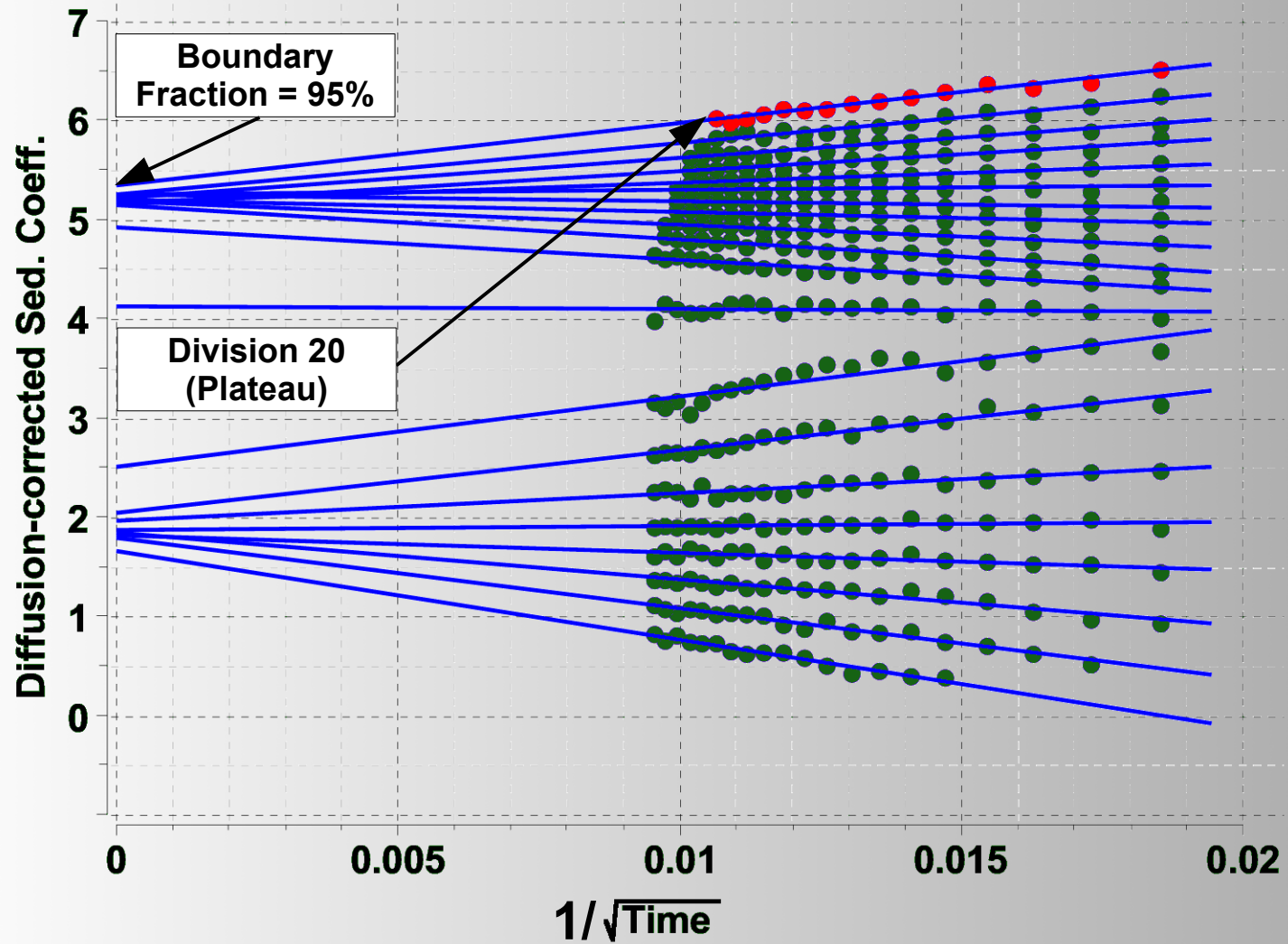
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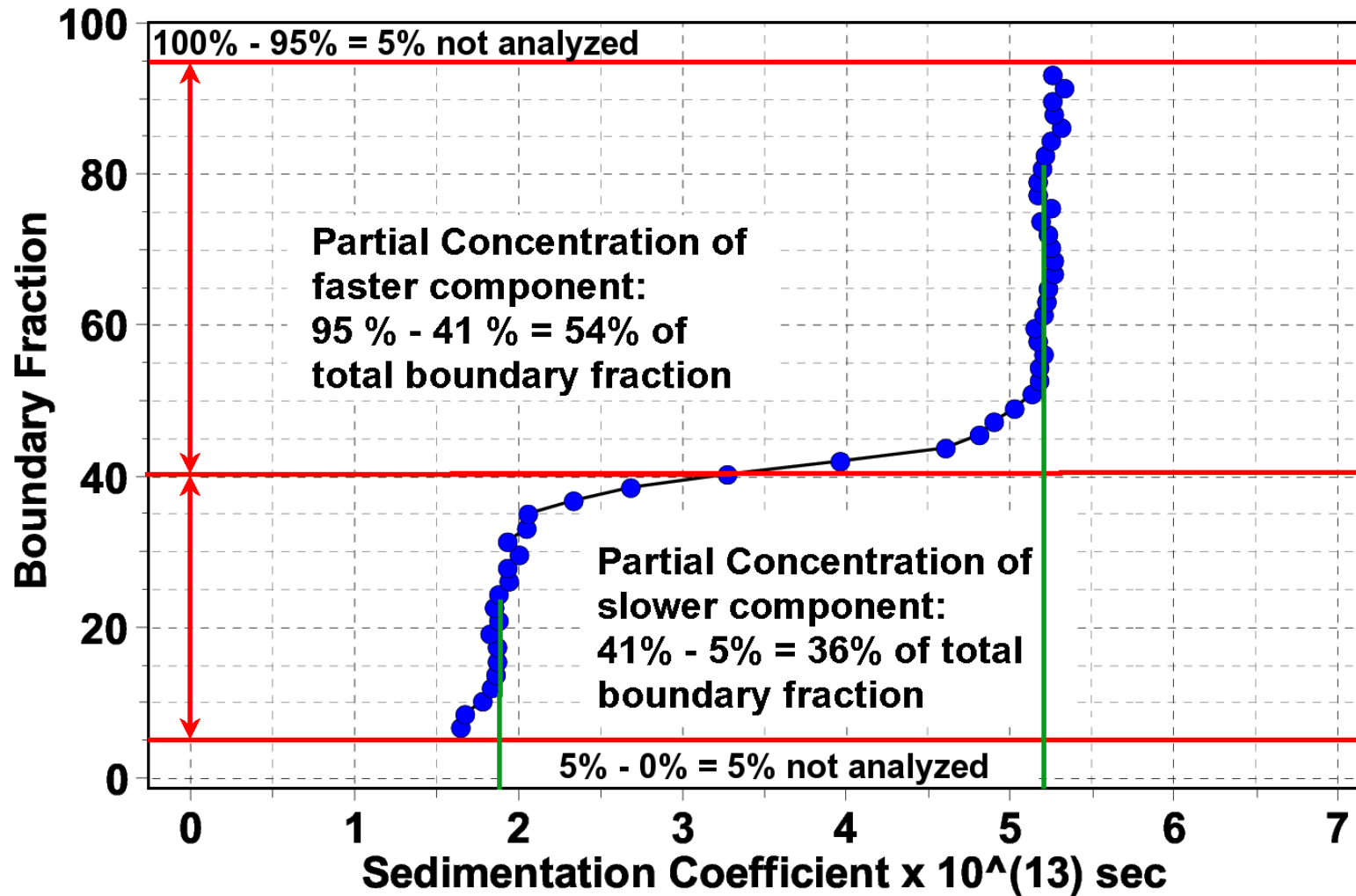
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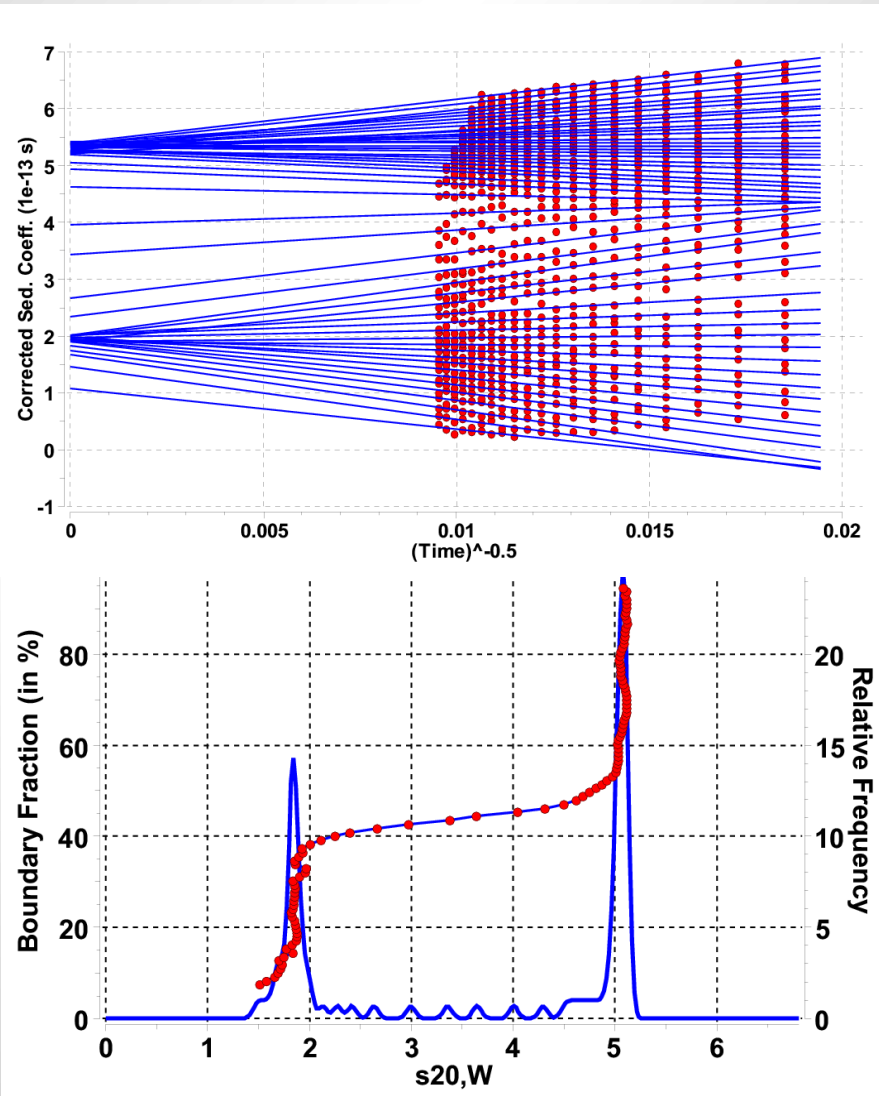
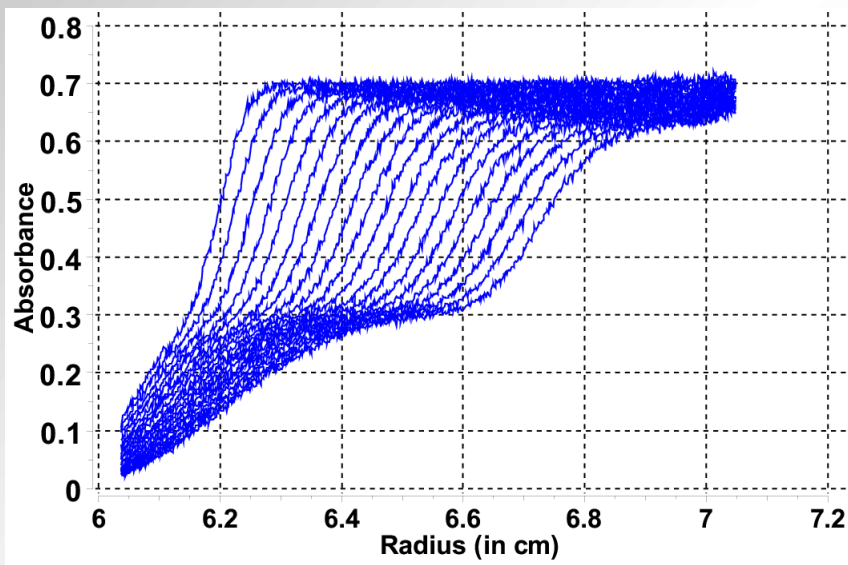
## van Holde – Weischet Integral Distribution Plot (G(s)):



# Enhanced van Holde – Weischet Method:

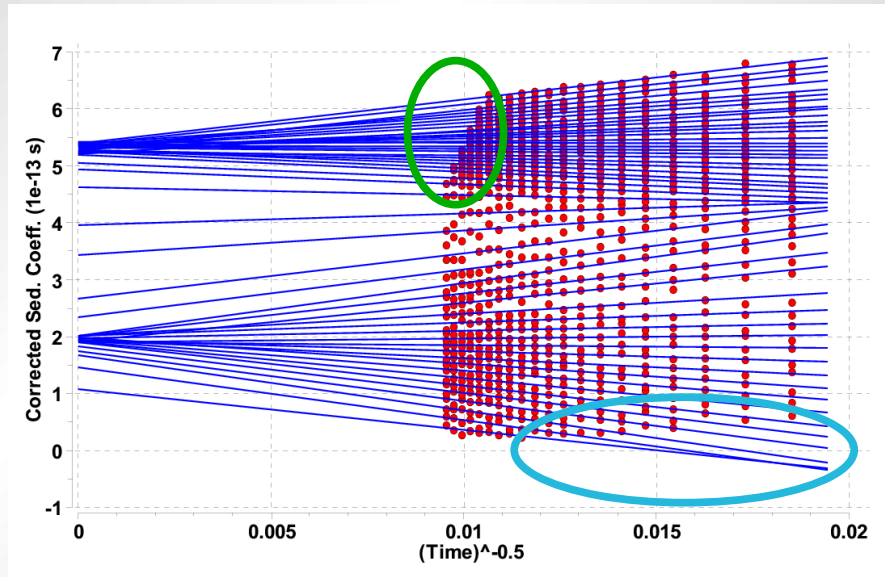
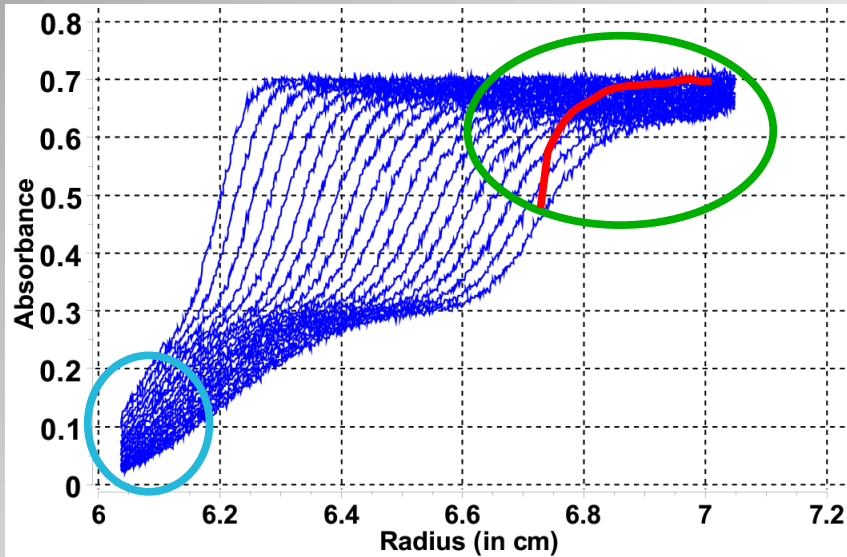
van Holde – Weischet method:

- s1:  $5.35 \times 10^{-13}$  (52 %)
- s2:  $1.87 \times 10^{-13}$  (39 %)





## Enhanced van Holde – Weischet Method:



**Green:** Back diffusion distorts boundary – data points are excluded

**Cyan:** boundary has not cleared meniscus – data points are excluded

**DEMO**