PRESENTATIONS

1. provide an overview of the problem and add any background necessary to understand the details

2. Explain the methods used in the paper

3. Show the results that were obtained

4. Discuss the importance, significance and impact of the paper, and explain what future work, if any, would be useful

Adeno-Associated Virus:

Characterization of Capsid Loading

Two Orthogonal Approaches using AUC

Adeno Associated Virus-based Gene Therapy/Editing Vectors

Essential Question:

What is the degree of nucleic acid loading efficiency?

Objectives:

1) Minimize the amount of empty capsids
 2) Minimize amount of partially filled capsids
 3) Eliminate any free nucleic acids
 4) Verify the loading state



Adeno-Associated Viruses (AAV)



Adeno-Associated Viruses (AAV)



AAV, whether loaded or empty, have the same size and shape. To distinguish these species by AUC, focus on what's different:

<u>1. Density</u> <u>2. Molar mass</u> <u>3. Absorbance</u>



Use L_j Spectra for Spectral Decomposition



Adeno Associated Virus-based Gene Therapy/Editing Vectors

Multi-wavelength Sedimentation Velocity Experiment of AAV Prep:









Integration results for major peaks of DNA:

Solute 1:Sedimentation coefficient:2.21e-12Relative percentage:14.0 %

Solute 2:Sedimentation coefficient:6.66e-12Relative percentage:11.1 %

Solute 3:Sedimentation coefficient:1.03e-11Relative percentage:36.9 %



Integration results for major peaks of Protein:

Solute 1:Sedimentation coefficient:6.58e-12Relative percentage:75.6 %

Solute 2:Sedimentation coefficient:1.03e-11Relative percentage:6.81 %



Method 2:

Analytical Buoyant Density Equilibrium (ABDE)

The equation of the concentration curve at equilibrium:

$$C(r) = C_0 e^{\delta(r^2 - r_m^2)}, \quad C(r) = C_{loading} \delta(r_b^2 - r_m^2) \frac{e^{\delta(r^2 - r_m^2)}}{e^{\delta(r_b^2 - r_m^2)} - I}$$

were: $\delta = \frac{M \omega^2}{2RT} (I - \bar{\nu} \rho)$
we need: $C_{loading}, r_m, r_b, \bar{\nu}$ (of gradient material)

The macromolecule co-sediments with the gradient forming material:



The equation of the macromolecule's transport inside the gradient:

$$\left(\frac{\partial C}{\partial t}\right)_{r} = \frac{-1}{r} \frac{\partial}{\partial r} \left[s_{app} \omega^{2} r^{2} C - D_{app} r \frac{\partial C}{\partial r} \right]_{t}$$

with: $s_{app} = s_{0}(\rho, \eta, r, t)$ and $D_{app} = D_{0}(\eta, r, t)$



⊽ Determination by Analytical Buoyant Density Gradient Centrifugation

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▽ Determination by Analytical Buoyant Density Gradient Centrifugation

The equation of the concentration curve at equilibrium:

$$C(r) = C_{loading} \delta(r_b^2 - r_m^2) \frac{e^{\delta(r^2 - r_m^2)}}{e^{\delta(r_b^2 - r_m^2)} - 1}$$

were: $\delta = \frac{M\omega^2}{2RT} (1 - \overline{\nu}\rho)$
we need: $C_{loading}$, r_m , r_b , $\overline{\nu}$ (of gradient material)



<i>∇ Determination by Analytical Buoyant Density Gradient Centrifugation



Take advantage of the equilibrium condition of ABDE to collect up to 100 wavelengths:



Obtain reliable spectral component separation and benefit from increased signal-to-noise due to inclusion of many wavelengths

Take advantage of the peak signal vs. boundary signal:



<i>∇ Determination by Analytical Buoyant Density Gradient Centrifugation



<i>∇ Determination by Analytical Buoyant Density Gradient Centrifugation

Sedimentation Velocity vs. ABDE



Characterization of phage DNA packaging intermediates by analytical buoyant density centrifugation.



Observed density depends on the degree of hydration, which depends on the solvent!

